

10.1 Counting Principle: Permutation

Permutation - a way of ordering things

Order $\overset{1^{\text{st}}}{K}$, $\overset{2^{\text{nd}}}{T}$, $\overset{3^{\text{rd}}}{C}$ 6 ways

$$\underline{3} \cdot \underline{2} \cdot \underline{1} = 3 \cdot 2 \cdot 1 = 6$$

$$3 \cdot 2 \cdot 1 = 3! \quad 3 \text{ factorial}$$

$$5 \cdot 4 \cdot 3 \cdot 2 \cdot 1 = 5! \quad \rightsquigarrow 120$$

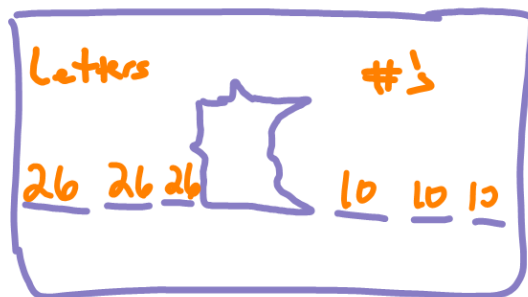
$$9! \cdot 10 \cdot 89 \cdots 2 \cdot 1 = 9! \quad \rightsquigarrow \text{error ... bigger than } 9.9999999 \times 10^{99}$$

Fundamental Counting Principle

If one event can happen "m" ways & another happens "n" ways, the total outcomes is $m \cdot n$

Example

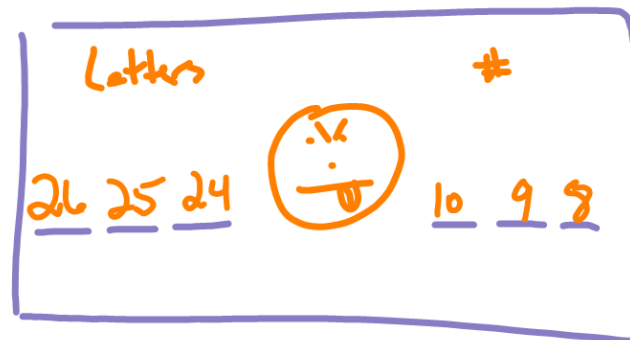
Plates in MN have 3 letters & 3 #'s
A-Z 26 letters & 0-9 = 10 #'s



With repeating

$$26 \cdot 26 \cdot 26 \cdot 10 \cdot 10 \cdot 10$$

$$= 17,576,000$$



W/o repeating

$$= 11,232,000$$